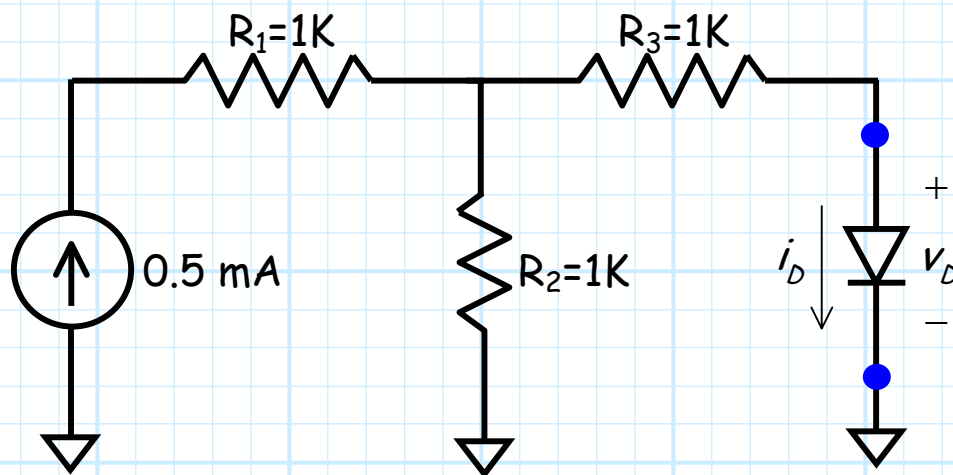


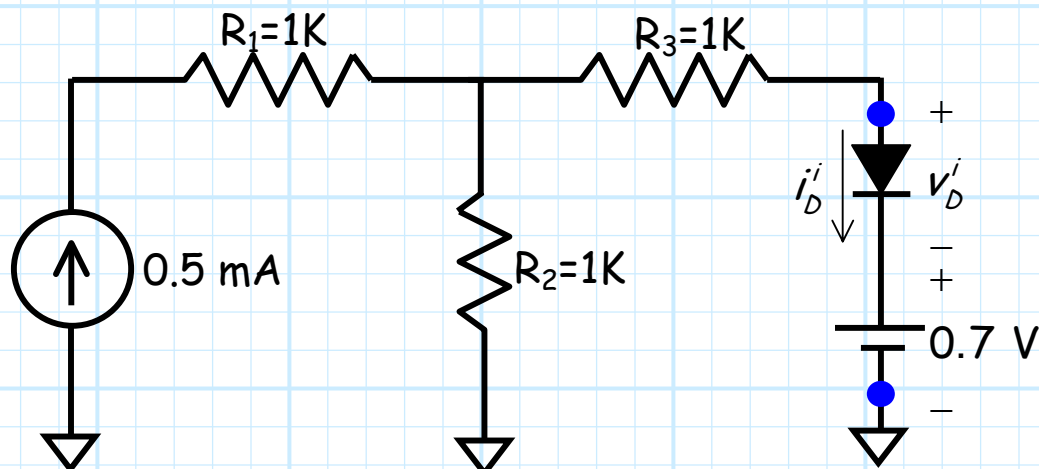
Example: Another Junction Diode Model Example

Consider now this circuit:



Using the **CVD model**, let's estimate the **voltage** across, and **current** through, the **junction diode**.

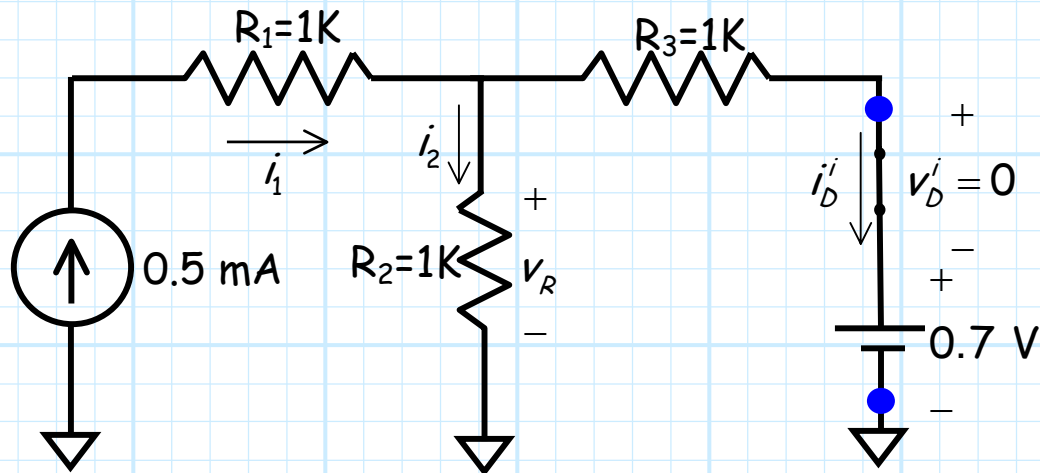
First, replace the junction diode with the **CVD model**:



Now we have an **IDEAL** diode circuit, and therefore we analyze it **precisely** as we did in section 3.1 !!

ASSUME the **IDEAL** diode is forward biased (why not ?).

ENFORCE the condition that $v_D^i = 0.0 \text{ V}$ (a **short** circuit).



ANALYZE the IDEAL diode circuit:

From KCL $\rightarrow i_1 =$

Where $\rightarrow i_1 = 0.5 \text{ mA}$

$i_2 =$

$i_D' =$

Therefore $\rightarrow 0.5 =$

And thus: $V_R =$

So that: $i_D^i =$

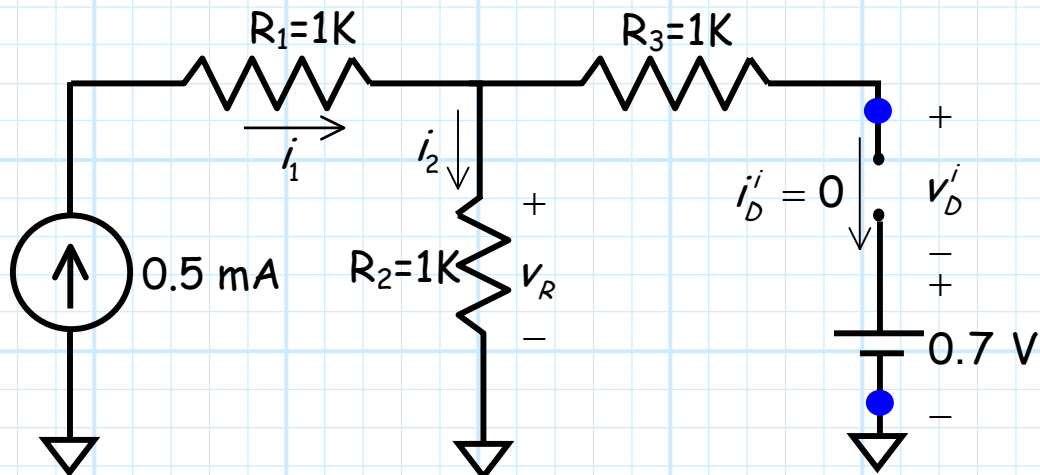
CHECK the **IDEAL** diode assumption:

$$i_D^i = -0.1 \text{ mA} < 0 \quad \times$$

Yikes! We made the **wrong** assumption! Let's change our assumption and try again.

Now **ASSUME** the **IDEAL** diode is **reverse** biased.

ENFORCE the condition that $i_D^i = 0.0 \text{ mA}$ (an **open** circuit).



ANALYZE the **IDEAL** diode circuit:

From KCL $\rightarrow i_1 = i_2 + i_D^i$

Where $\rightarrow i_1 = 0.5 \text{ mA}$

$$i_2 = \frac{V_R}{R_2} = \frac{V_R}{1} = V_R$$

$$i_D^i =$$

Therefore $\rightarrow 0.5 =$

Note that we must find the numeric value of v_D^i , the **voltage** across the reverse biased **IDEAL** diode.

From KVL: $v_R - R_3 i_D^i - v_D^i - 0.7 = 0$

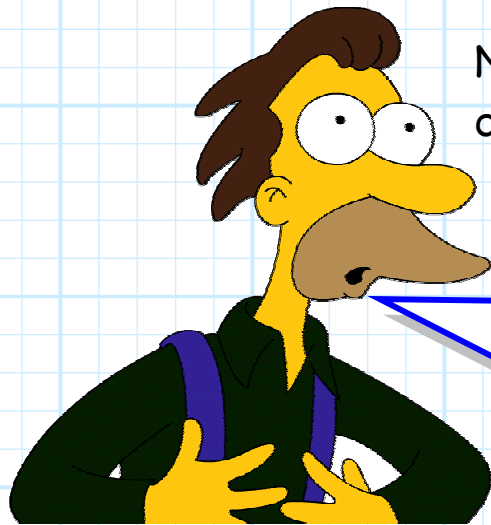
And since $i_D^i = 0$, we find that:

$$\begin{aligned} v_D^i &= v_R - R_3 i_D^i - 0.7 \\ &= v_R - 0.7 \\ &= 0.5 - 0.7 \\ &= -0.2 \text{ V} \end{aligned}$$

CHECK the **IDEAL** diode assumption:

$$v_D^i = -0.2 \text{ V} < 0 \quad \checkmark$$

Our assumption was **correct!**



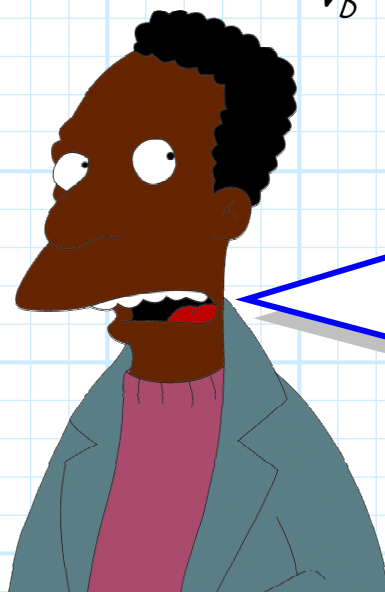
Now, we must estimate the **junction diode current and voltage!**

Q: *What do you mean? I thought we just did that! The diode current is $i_D = 0.0$ and the diode voltage is $v_D = -0.2$ V. Right?*

A: NO! We have **only** determined the current and voltage of the **IDEAL** diode voltage in our CVD model. These are **not** the estimated values of the **junction** diode in our circuit!

Instead, we estimate the **junction** diode voltage by calculating the voltage across the **entire CVD model** (i.e., ideal diode and 0.7 V source):

$$\begin{aligned} v_D &= v_D^i + 0.7 \\ &= -0.2 + 0.7 \\ &= 0.5 \text{ V} \end{aligned}$$



*What an interesting result! Although the **IDEAL** diode in the CVD model is **reversed** biased, our **junction** diode voltage estimate is **positive** $v_D = 0.5$ V !!!*

We likewise estimate the **current** through the junction diode by determining the current through the **PWL model** (OK, the current through the model is **also** the current through the **ideal diode**):

$$i_d = i_d^i = 0$$

Hopefully, this example has convinced you as to the **necessity** of carefully, patiently and precisely applying the junction diode **models**—models that include IDEAL diodes only. Then, you must use the model results to carefully, patiently and precisely determine **approximate** values for the **junction diode**.

Each and every step of this process is required to achieve the correct answer—I'll find out **later** in the semester if **you** have been paying attention!

